

*Mathematica does not have a PolarStreamPlot available. In order to produce the streamline figures in the paper in this post PolarStreamPlot needed to be created.

The basic form of the Mathematica program used for the stream plots comes from Mathematica StackExchange and was posted by "s.pledger" on 10 February 2014. The program is:*)

```

SetAttributes[PolarStreamPlot, HoldAll];
PolarStreamPlot[fns_, {r_Symbol, rMin_, rMax_},
  {t_Symbol, tMin_, tMax_}, opts___] :=
Module[{Fns, x, y, RF, TMin, TMax, mArcTan, RMax},
  If[rMin ≥ rMax, Throw["Invalid range for r!"]];
  If[tMin ≥ tMax || tMax - tMin > 2 Pi,
    Throw["Invalid range for θ!"]];
  TMin = Mod[tMin, 2 Pi, tMin];
  TMax = Mod[tMax, 2 Pi, tMin];
  If[TMax == TMin, TMax += 2 Pi];
  mArcTan[vars_] = Mod[ArcTan[vars], 2 Pi, TMin];
  Fns = TransformedField["Polar" → "Cartesian", fns,
    {r, t} → {x, y}] /. ArcTan → mArcTan;
  RMax = rMax;
  StreamPlot[Fns, {x, -RMax, RMax}, {y, -RMax, RMax},
    RegionFunction →
    Function[{x, y},
      Evaluate[mArcTan[x, y] ≤ TMax &&
        rMin ≤ Sqrt[x^2 + y^2] ≤ rMax]], opts]]

```

(*Here is an example of how to use the program:*)

```

n = 3;
v0 = -0.2;
λ = 0.5;
b = a = 1

```

```

dblsol =

```

$$\left\{ \begin{array}{l} 1 \\ r \end{array} \right.$$

$$D \left[\left(\text{BesselJ}[n, r] \sin[n \theta] \right) + (\lambda) (1 - \text{BesselJ}[0, r]) + \left(\frac{2 v_0 a}{b (\text{BesselJ}[0, b])} \right) (\text{BesselJ}[1, b r / a] \sin[\theta]) \right), \theta],$$

$$-D \left[\left(\text{BesselJ}[n, r] \sin[n \theta] \right) + (\lambda) (1 - \text{BesselJ}[0, r]) + \left(\frac{2 v_0 a}{b (\text{BesselJ}[0, b])} \right) (\text{BesselJ}[1, b r / a] \sin[\theta]) \right), r];$$

```

PolarStreamPlot[dblsol, {r, 0, 10.0}, {θ, 0, 2 Pi},
  StreamPoints → Fine, StreamStyle → Black]

```

